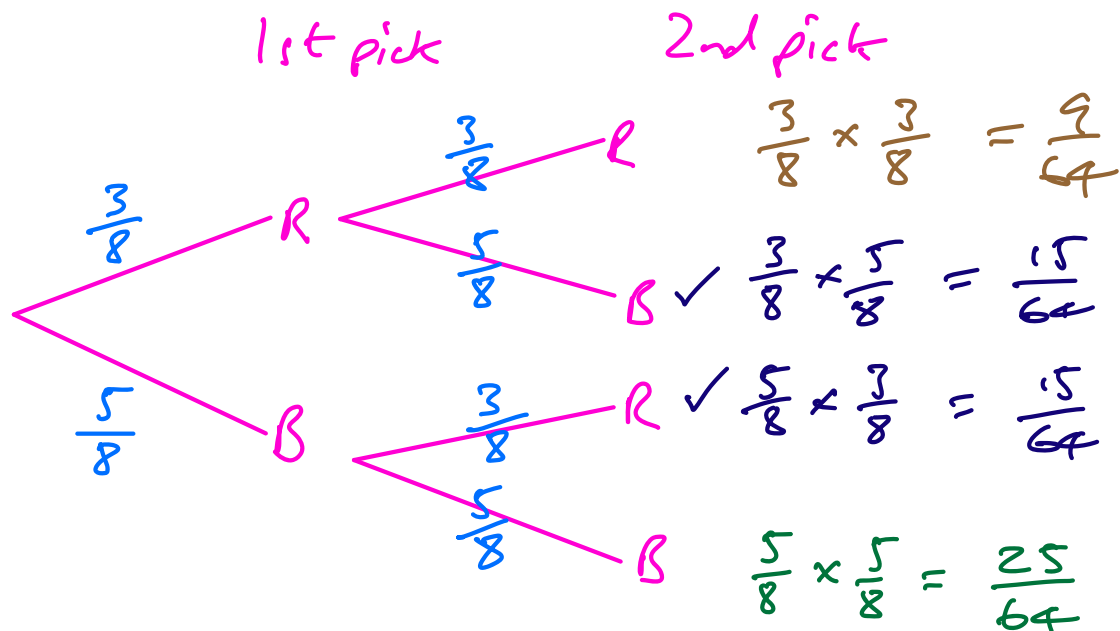


Probability Trees

In a bag there are 5 blue counters and red 3 counters. A counter is drawn at random, its colour noted and it is replaced in the bag. A second counter is drawn and its colour noted. Represent on a probability tree.



Possible Questions

i) Find prob both blue $= \frac{5}{8} \times \frac{5}{8} = \frac{25}{64}$

ii) Find prob exactly one of each colour

$$= P(RR) + P(BB)$$
$$= \frac{15}{64} + \frac{15}{64} = \frac{30}{64}$$

iii) Find prob at least 1 Red

$$= P(RR) + P(RB) + P(BR)$$

$$= \frac{4}{64} + \frac{15}{64} + \frac{15}{64} = \frac{39}{64}$$

or $P(\text{at least 1 Red})$

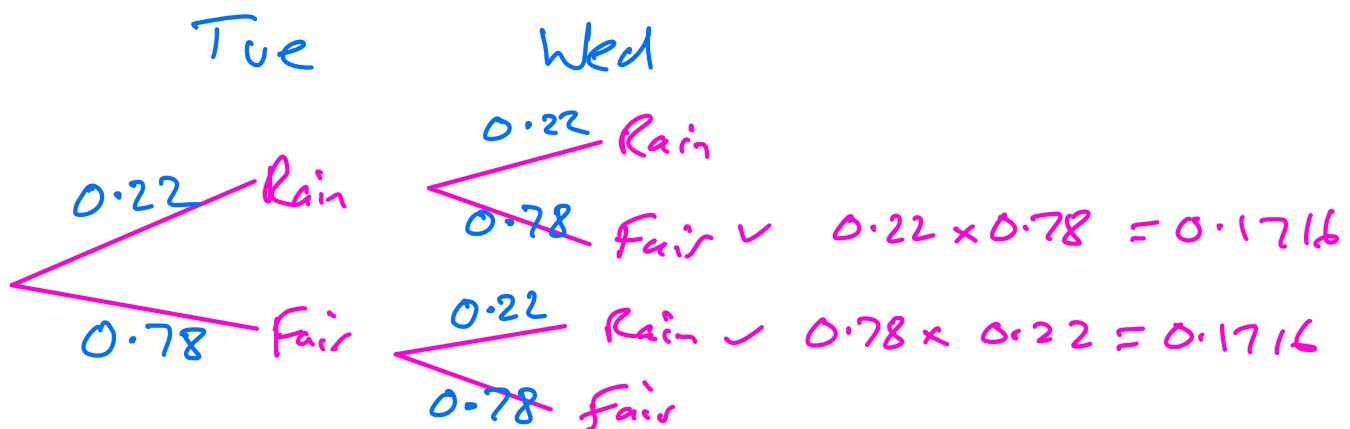
$$= 1 - P(\text{no Red})$$

$$= 1 - P(BB)$$

$$= 1 - \frac{25}{64} = \frac{39}{64}$$

The probability it is going to rain on any given day this week = 0.22

Represent on a tree diagram for Tue and Wed



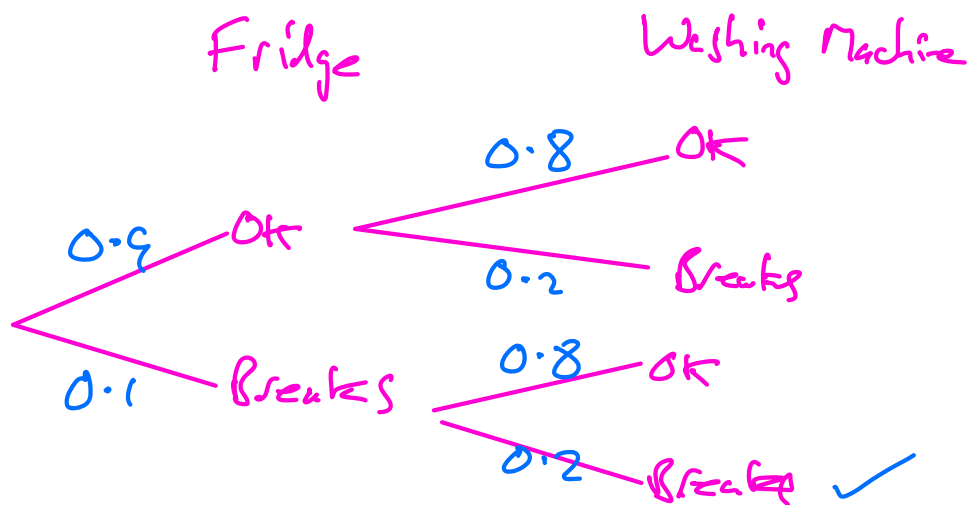
Find prob it rains on exactly one of Tue or Wed

$$= P(RF) + P(FR)$$

$$= 0.1716 + 0.1716$$

$$= 0.3432$$

The prob a fridge breaks down in first year = 0.1. The prob a washing machine breaks down is 0.2. Represent on tree diagram.

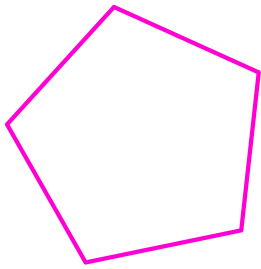


Find Prob (both break)

$$= 0.1 \times 0.2 = 0.02$$

Hannah's Sweet Problem on Board.

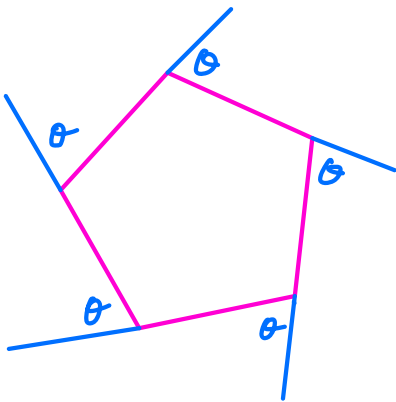
Polygons



Regular Polygons

All sides same length

All angles the same



Exterior angle of regular
n-sided polygon = $\frac{360^\circ}{n}$

$$\text{Pentagon } \frac{360}{5} = 72^\circ$$

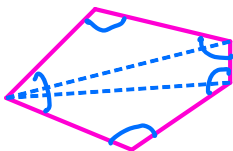
Interior angle = $180^\circ - \text{Exterior angle}$

$$\begin{aligned} \text{Pentagon Interior} &= 180 - 72 \\ &= 108^\circ \end{aligned}$$

Sum of interior angles of regular pentagon

$$= 108 \times 5 = 540^\circ$$

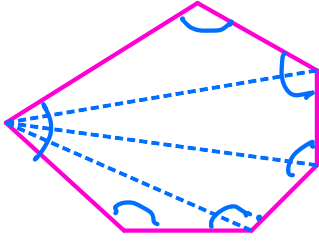
In fact this is true for any pentagon



Angle sum of pentagon

= 3 triangles worth

$$3 \times 180 = 540^\circ$$



Hexagon $4 \times 180^\circ = 720^\circ$

Any n -sided polygon the
interior angles sum to $(n-2) \times 180$
